Research Portfolio - PhD Application

Thanh Tu, Do

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Outline

Self-Introduction

- Research Experience
 - Publications
 - Signal Processing
 - Missing Data Imputation
 - Computer vision
 - Simulation-based Inference

3 Research Interest

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Education and Professional Affiliation

Education Vietnam National University, Ho Chi Minh University of Science Master Student - Falcuty of Mathematics and Computer Science (Jan 2022 - now)

Foreign Trade University of Vietnam, Hanoi Campus Bachelor of International Business and Economics

(July 2011 - May 2015)

Working experience Vigo Retail Ho Chi Minh City, Vietnam Data Scientist

(Jan 2023 - now)

 Designed and implemented recommendation algorithm to personalize use experience using Torch Lightning framework.

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Publications I

Accepted

- (BME 2020) Tu, Do Thanh, Thuong Nguyen, Anh Tho Le, Sinh Nguyen, Huong Ha. "Automated EOG removal from EEG signal using Independent Component Analysis and Machine Learning Algorithms" at The 8th International Conference in Vietnam on the Development of Biomedical Engineering.
- (ICHST 2023) Tu, Do Thanh, Luan Van Tran, Tho Anh Le, Thao Mai Thi Le, Lan-Anh Hoang Duong, Thuong Hoai Nguyen, Anh Minh Hoang An, Duy The Phan, Khiet Thu Thi Dang, Quyen Hoang Quoc Vo, Nam Phuong Nguyen, Huong Thanh Thi Ha. "Stress prediction using machine-learning technique on physiological signal"

Submitted

- Mai Anh Vu*, Thu Nguyen*, **Tu T. Do***, Nhan Phan, Nitesh V. Chawla, Pål Halvorsen, Michael A. Riegler and Binh T. Nguyen. *"Conditional expectation with regularization for missing data imputation"*
- **Tu T. Do**, Mai Anh Vu, Hoang Thien Ly, Thu Nguyen, Steven A. Hicks, Michael A. Riegler, Pål Halvorsen Halvorsen and Binh T. Nguyen. *"Blockwise Principal Component Analysis for monotone missing data imputation and dimensionality reduction"*

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Publications II

• **Tu T. Do**, Mai Anh Vu, Hoang Thien Ly, Thu Nguyen, Steven A. Hicks, Michael A. Riegler, Pål Halvorsen Halvorsen and Binh T. Nguyen. *"Estimating lower-dimensional space representation in Principal Component Analysis under missing data condition"*

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Signal Processing

Automated EOG removal from EEG signal using Independent Component Analysis and Machine Learning Algorithms.

Supervisor: Dr. Huong Ha, Brain Health Lab.

- Worked on data analysis and visualization: Visualizing the topographical map of EEG signal's power on the scalp.
- Main idea: train a model to classify the topological map of each IC to identify whether the the IC represent ocular activity.



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Missing Data Imputation I

Low-dimension Representation Estimation in Principal Component Analysis under Missing Data

Supervisor: Dr. Thu Nguyen, SimulaMet

Utilizing the estimation of the covariance matrix, we can compute the projection matrix V, and estimated the missing entries x_m using conditional Gaussian Expectation given observed value x_o

$$\hat{\mathbf{x}}_m = \mathbb{E}[\mathbf{x}_o] + \mathbf{\Sigma}_{om} \mathbf{\Sigma}_o^{-1} (\mathbf{x}_o - \mathbb{E}[\mathbf{x}_m])$$
(11)

Recall that ${\bf x}$ is centered, so that $\mathbb{E}[{\bf x}_o]$ and $\mathbb{E}[{\bf x}_m]$ are 0, hence,

$$\hat{\mathbf{x}}_m = \boldsymbol{\Sigma}_{om} \boldsymbol{\Sigma}_o^{-1} \mathbf{x}_o. \tag{12}$$

Finally, the projection can be estimated by transforming sample ${\bf x}$ by a linear transformation ${\bf V}^\top$

$$\mathbf{V}^{\top} \mathbf{x} = (\mathbf{V}_{o}^{\top}, \mathbf{V}_{m}^{\top}) \begin{pmatrix} \mathbf{x}_{o} \\ \mathbf{x}_{m} \end{pmatrix}$$

$$= \mathbf{V}_{o}^{\top} \mathbf{x}_{o} + \mathbf{V}_{m}^{\top} \mathbf{x}_{m}$$

$$= \mathbf{V}_{o}^{\top} \mathbf{x}_{o} + \mathbf{V}_{m}^{\top} \boldsymbol{\Sigma}_{om} \boldsymbol{\Sigma}_{o}^{-1} \mathbf{x}_{o}$$

$$= (\mathbf{V}_{o}^{\top} + \mathbf{V}_{m}^{\top} \boldsymbol{\Sigma}_{om} \boldsymbol{\Sigma}_{o}^{-1}) \mathbf{x}_{o}.$$

$$(13)$$

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Missing Data Imputation II

Classifier guided MCMC for imbalance learning problem

- Utilized MCMC to oversample minority classes in imbalance learning problem.
- Implemented and compare proposed method against other baseline methods.

MCMC

To sample from from class c_i with probability density function $p(X|y = c_i)$, we can utilize Markov Chain Monte Carlo, we need quantity:

$$H = \frac{p(x|y = c_i)}{p(x_t|y = c_i)} \\ = \frac{p(x, y)/p(y)}{p(x_t, y)/p(y)} \\ = \frac{p(y|x)}{p(y|x_t)} \times \frac{p(x)}{p(x_t)}$$

The first form p(y|x), we can train a classifier to approximate this quantity. The choice of $d_q(.)$ is very flexible, can be scikit-tearn implementation of LogisticRegression() for binary classification problem or a simple fully connected network.

$$p(y|x) = d_{\theta}(x)$$



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Computer vision

Wave form classification using Deep Convolutional Neural Network

- Implemented baseline method Racomnet (previous work)
- Implemented and train various common architecture on given dataset, namely Vision Transformer, EfficientNet, MobileNet, etc.
- Proposed pretraining appoach using self-supervised approach, namely combine supervised loss and self-supervised loss (Barlow-Twin loss, Constrastive Loss)



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Simulation-based Inference

- Studied the problem of Simulation Based Inference (SBI)
- Surveyed current methods, namely Approximate Bayesian Computation,Likelihood-free MCMC with Amortized Likelihood Ratio Estimator (AMCMC).
- Proposed to use Iterative AutoEncoder Dynamics to sample from posterior distribution.

Adapting MCMC for SBI task

We want to sample from $p(heta|\mathbf{x})$ using MCMC, we need this quantity

$$\frac{p(\theta|\mathbf{x})}{p(\theta_t|\mathbf{x})} = \frac{p(\theta)p(\mathbf{x}|\theta)/p(\mathbf{x})}{p(\theta_t)p(\mathbf{x}|\theta_t)/p(\mathbf{x})} = \frac{p(\theta)}{p(\theta_t)} \times \frac{p(\mathbf{x}|\theta)}{p(\mathbf{x}|\theta_t)} = \frac{p(\theta)}{p(\theta_t)} \times r(\mathbf{x}|\theta, \theta_t) \quad (1)$$



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